

# Multi-Agent Deep Reinforcement Learning for Mobile Wireless Systems: From Distributed Power Allocation to Auction-Based RIS Access

**Associate Prof. Stefan Schwarz**

in collaboration with: Charmae F. Mendoza, Martin Zan, Prof. Markus Rupp and Prof. Megumi Kaneko

December 2025, [stefan.schwarz@tuwien.ac.at](mailto:stefan.schwarz@tuwien.ac.at)



**Technische  
Universität Wien**

**Institute of  
Telecommunications**



DRL-based Distributed Uplink Power Allocation

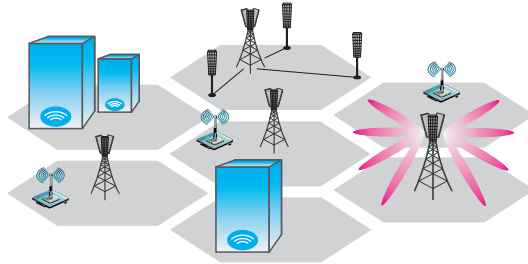
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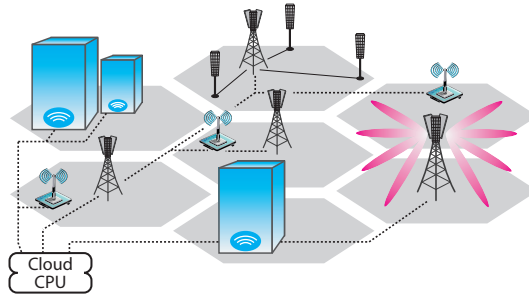
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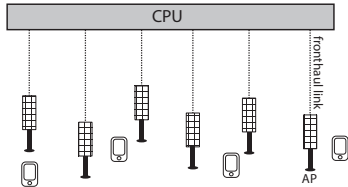


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- Cell-free: independently operating cells are replaced by joint cloud-processing  
⇒ Interfering signals become useful signals

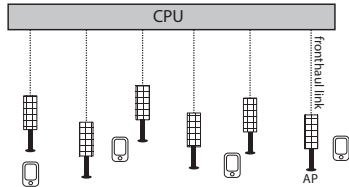
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- Consider a canonical cell-free system with  $M$  access points (APs) serving  $K$  users in uplink
- At a given time  $t$ , a subset  $\mathcal{K}_{\text{on}}^{(t)} \subset \{1, \dots, K\}$  of users is active (slowly varying)

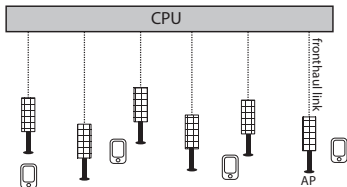
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- The SINR depends on the users' power allocations
  - ⇒ Increasing the power  $\rho_k$  of user  $k$  will improve its utility, but may decrease other users' utilities
  - ⇒ Goal: **learn to allocate power optimally**

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## Model-Based versus Model-Free Optimization

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- Deep reinforcement learning (DRL): often combines both approaches
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- In our simulations, we train based on the Shannon rate

$$u_k = B \left( 1 - \frac{\tau_p}{\tau_c} \right) \log_2 (1 + \text{SINR}_k)$$

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- In practice,  $u_k$  could, for example, also be obtained from user feedback (CQI)

- We want to **maximize a global utility**:

$$\begin{aligned} & \max_{\rho_1, \dots, \rho_K} U(u_1, \dots, u_K) \\ \text{subject to: } & 0 \leq \rho_k \leq \rho_{\max}, \quad \forall k \end{aligned}$$

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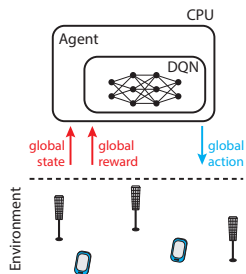
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- Here, we consider the extreme case: **one agent per user**
- As an example, we consider the **guaranteed user rate** as the utility function

$$U(u_1, \dots, u_K) = \min_{k \in \mathcal{K}_{\text{on}}^{(t)}} u_k$$

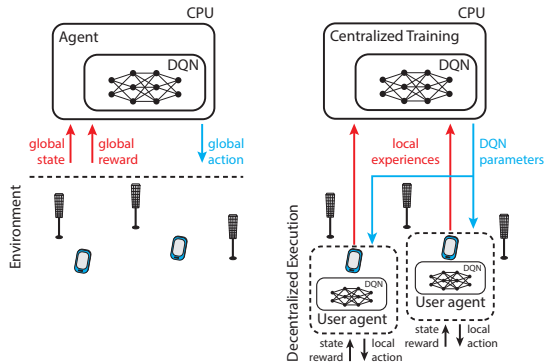


## Three DRL Frameworks



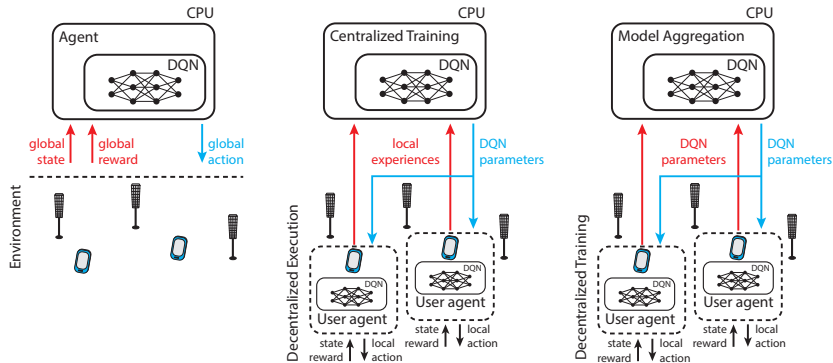
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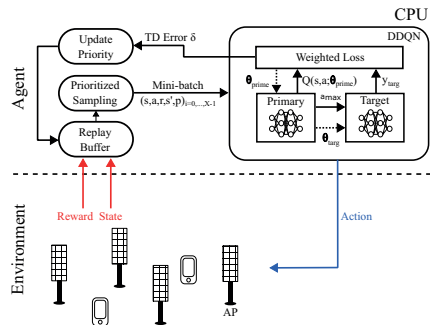


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  - **Personalized federated learning (FPer):** model parameters partially federated

- States** of the single-agent environment

$$\mathbf{s}^{(t)} = \left[ d_1^{(t)}, \dots, d_K^{(t)}, v_1^{(t-1)}, \dots, v_K^{(t-1)}, u_1^{(t-1)}, \dots, u_K^{(t-1)} \right]$$

$$v_k^{(t-1)} = \begin{cases} 1, & \text{if } \rho_k^{(t-1)} > 0 \text{ and } d_k^{(t-1)} = 0 \\ 0, & \text{else} \end{cases}$$



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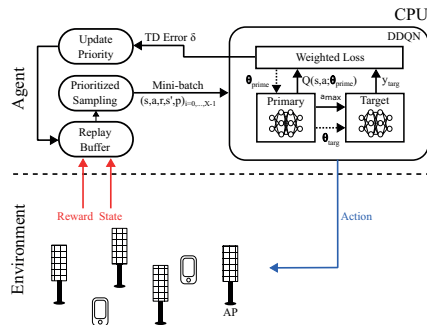
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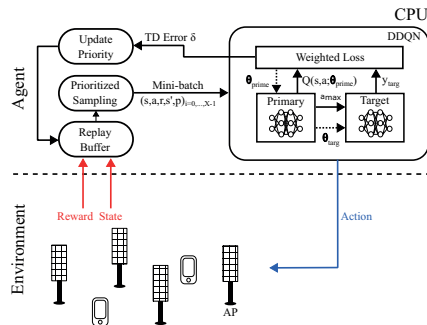
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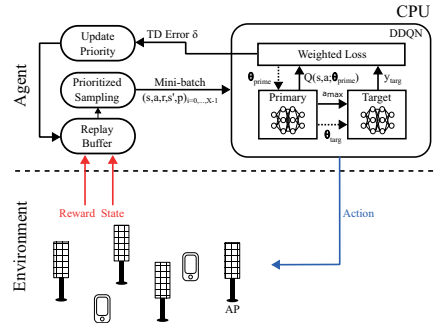
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- **Rewards:**  $r^{(t+1)} = \min_{k \in \mathcal{K}_{\text{on}}^{(t)}} u_k^{(t)} - \gamma \sum_{k=1}^K v_k^{(t)}$



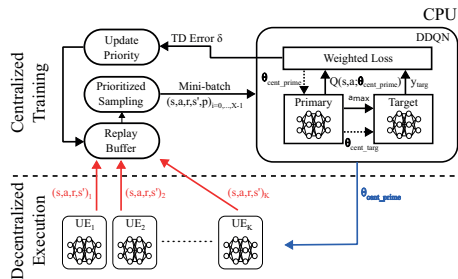
- **Double deep-Q networks (DDQN)**
  - Stabilizes training and reduces overestimation bias
  - More robust in non-stationary environments
- **Prioritized sampling**
  - Prioritizes experiences with high temporal-difference (TD) error for replay
  - Speeds up learning and improves sample efficiency
  - Can introduce bias; requires importance-sampling correction



- **User-specific** states and actions

$$\mathbf{s}_k^{(t)} = \left[ \mathbf{u}_k^{(t-1)}, \mathbf{u}_{j \in \mathcal{N}_k}^{(t-1)} \right], \quad \mathbf{a}_k^{(t)} = \rho_k^{(t)}$$

- **Sharing of utilities** at least in a neighborhood  $\mathcal{N}_k \subseteq \mathcal{K}$
- No violation variables; only active users allocate power





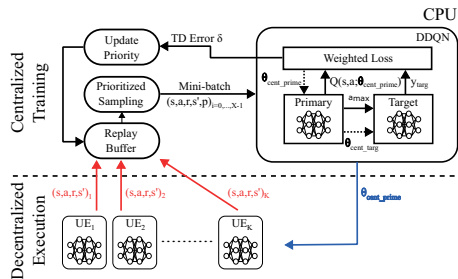
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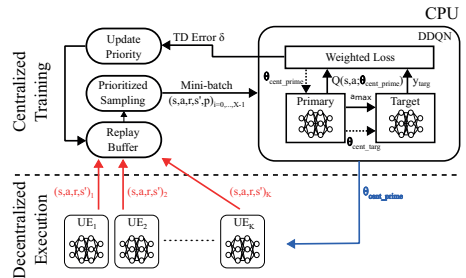
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- Training at CPU based on **users' experiences**

$$\left( \mathbf{s}_k^{(t)}, a_k^{(t)}, r^{(t+1)}, \mathbf{s}_k^{(t+1)} \right)$$

- Reporting of action  $a_k^{(t)}$  is sufficient (could be estimated)

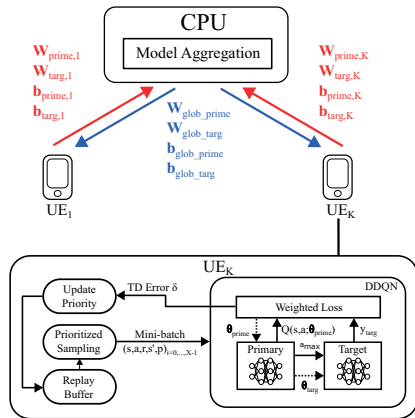


- Users train local models based on their **local experiences**

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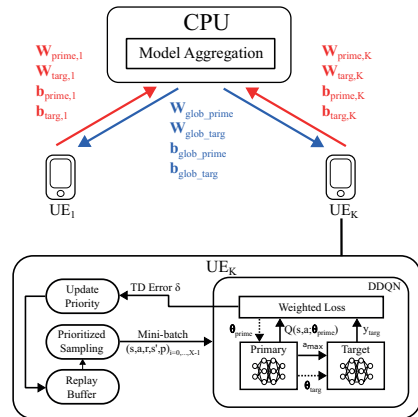


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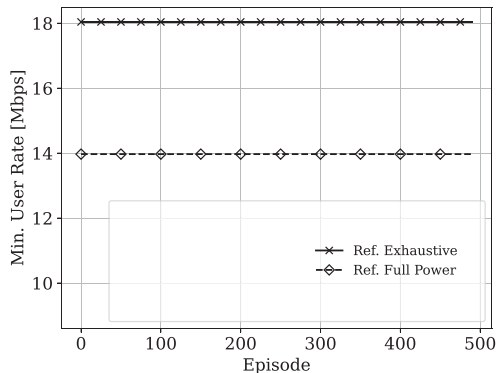
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- Early DDQN layers are periodically shared with the CPU
- CPU aggregates users' layers and returns a federated model

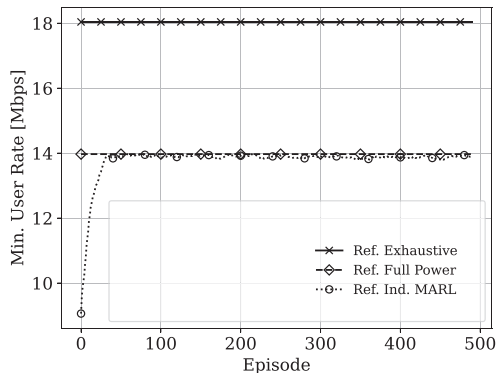


## Comparison of DRL Frameworks – Static Scenario



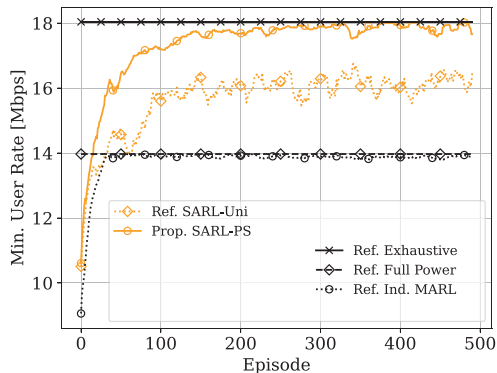
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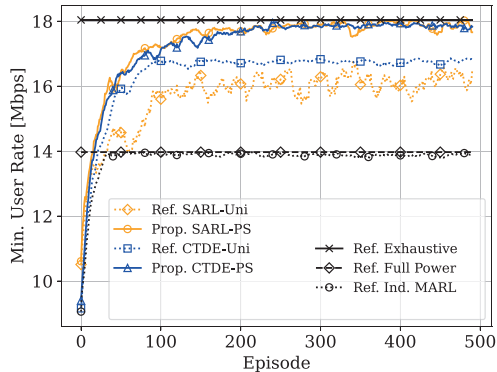
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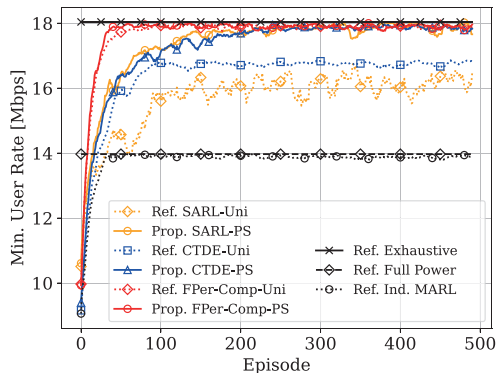
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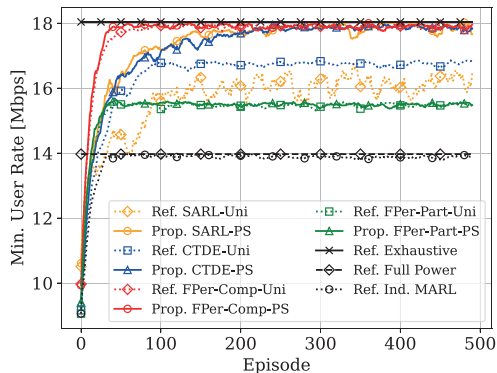


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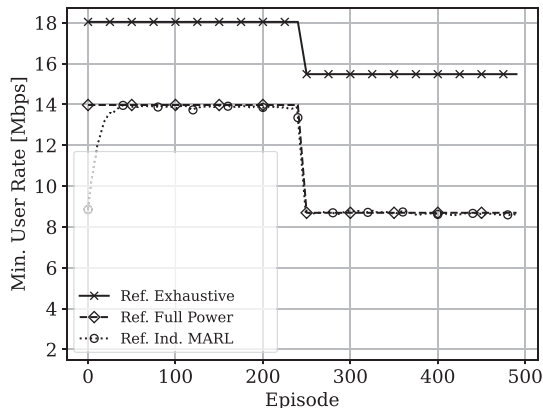
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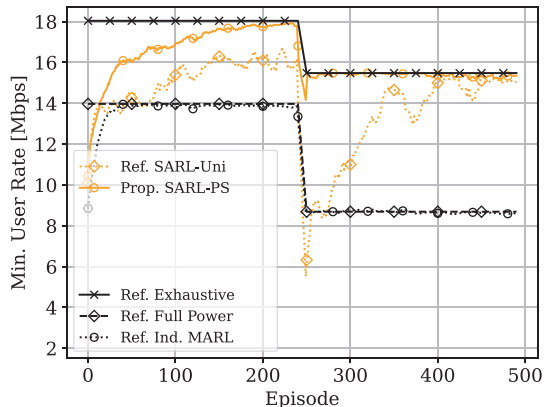
- Small-scale scenario to allow for exhaustive search (best case upper bound)
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- Considering a neighborhood of only 40% of closest users is here not sufficient (small scenario)

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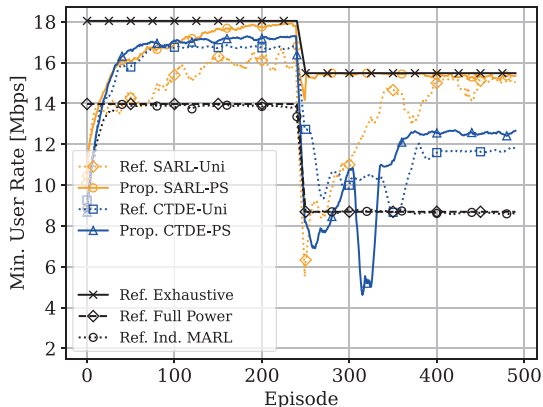
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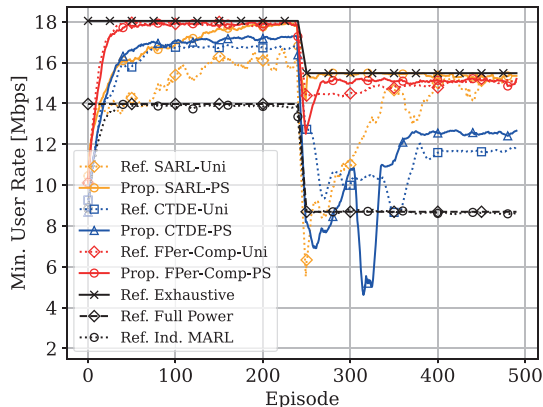
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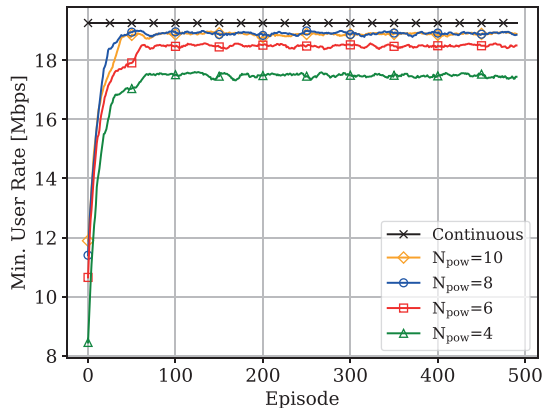


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- Performance close to continuous power allocation with modest number of discrete power levels

- The interference landscape is currently inferred from rate observations
  - ⇒ Makes it relatively difficult for the DNN to disentangle mutual inter-dependencies
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- Generalization and transferability across environments, user numbers, ...

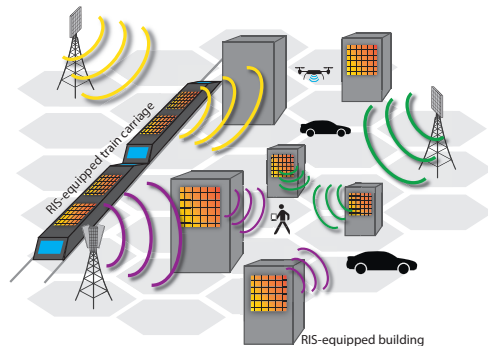
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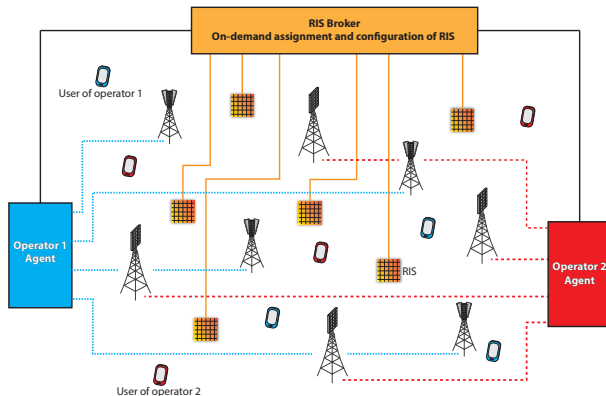
Conclusions

- RIS may be **integrated into various objects**  
⇒ Network operators are unlikely to have a monopoly on their deployment
- RIS technology can potentially **support multiple frequency bands**  
⇒ Not restricted to a single operator
- **Who should** be allowed to **control the RIS response** configuration?

⇒ We propose a **competitive free-market** setup



# RIS Broking in Cell-free MIMO Setups



- RIS control is dynamically assigned to operators by a RIS broker
- RIS-to-operator assignment is achieved through an auction
- The auction is repeated whenever there are significant changes in demand or user positions

- Simple auction format: **simultaneously ascending forward auction**
  - In auction-round  $t$ , RIS broker sets a uniform price  $p_t > p_{t-1}$  for available RISs
  - Operators bid on RISs for which they are willing to pay the current price  $p_t$
  - If only one operator bids on an RIS, it is assigned to this operator for payment  $p_t$
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  - Auctioneer enforces an **activity rule** – bidders cannot enter late
- Challenges for operators:
  - How to **estimate the value of a RIS** and decide whether or not to pay price  $p_t$ ?  
⇒ The value of a RIS depends on which other RISs can be secured (combinatorial)
  - How to design an **efficient bidding strategy**?



- We employ the  **$\alpha$ -fair function family** to quantify the utility of a RIS allocation  $\mathcal{R}$

$$U^{(o)}(\mathcal{R}) = \frac{\sum_{u=1}^{N_U^{(o)}} \left( \bar{r}_u^{(o)}(\mathcal{R}) \right)^{1/\alpha}}{\sum_{u=1}^{N_U^{(o)}} \left( \bar{r}_u^{(o)}(\emptyset) \right)^{1/\alpha}} - 1$$

...  $\bar{r}_u^{(o)}(\mathcal{R})$  estimate of achievable rate of user  $u$

$\alpha = 1$  ... sum-rate,  $\alpha \rightarrow 0$  ... max user rate,  $\alpha \rightarrow \infty$  max-min user rate

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$\alpha = 1$  ... sum-rate,  $\alpha \rightarrow 0$  ... max user rate,  $\alpha \rightarrow \infty$  max-min user rate

- Rate estimation** is **based on macroscopic channel parameters**, because the microscopic fading channel is not known prior to RIS assignment

$$\hat{\beta}_u = \frac{\gamma_{u,d}^2 P_{u,d} + \left( \sum_{r \in \mathcal{R}_d} \gamma_{u,r} \gamma_{r,d} k_{u,r} \sqrt{\frac{P_{u,d} M_{BS}}{|\mathcal{R}_d|}} M_{RIS} \right)^2 + \sum_{r \in \mathcal{R}_d} \gamma_{u,r}^2 \gamma_{r,d}^2 \bar{k}_{u,r}^2 \frac{P_{u,d} M_{BS}}{|\mathcal{R}_d|} M_{RIS}}{\sigma_n^2 + \sum_{b \neq d} \gamma_{u,b}^2 P_{j_b,b} + \sum_{b \neq d} \sum_{r \notin \mathcal{R}_d} \gamma_{u,r}^2 \gamma_{b,r}^2 P_{j_b,b} M_{RIS}}$$

- **Bidding** in auction-round  $t$  based on the value of acquiring an additional RIS  $r$

$$V_t^{(o)}(r) = U^{(o)}(\mathcal{R}_{t-1}^{(o)} \cup r) - U^{(o)}(\mathcal{R}_{t-1}^{(o)})$$

... assuming  $r$  is the sole secured RIS in round  $t$  – breaking combinatorial complexity

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- **Observations** available to operators/agents

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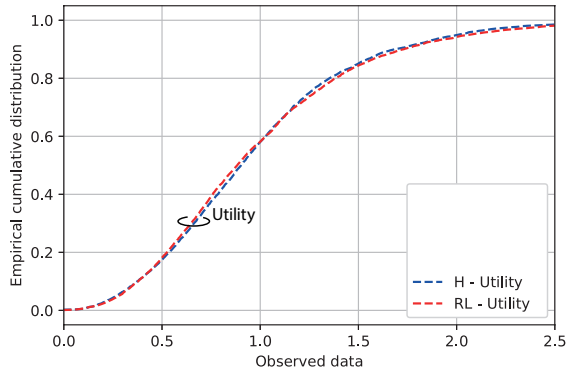
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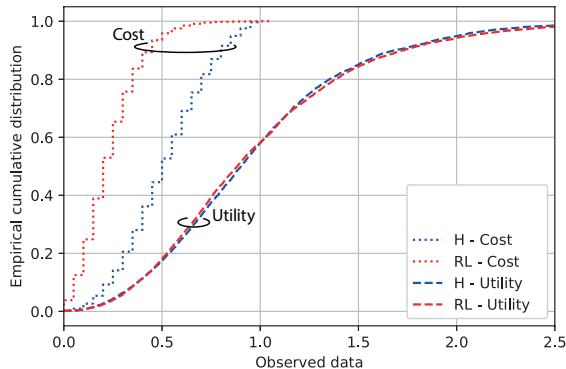
- **Reward** achieved when winning RISs  $w_t^{(o)}$

$$r^{(o)} = c_V^{(o)} V_t^{(o)}(w_t^{(o)}) - p_t |w_t^{(o)}|.$$

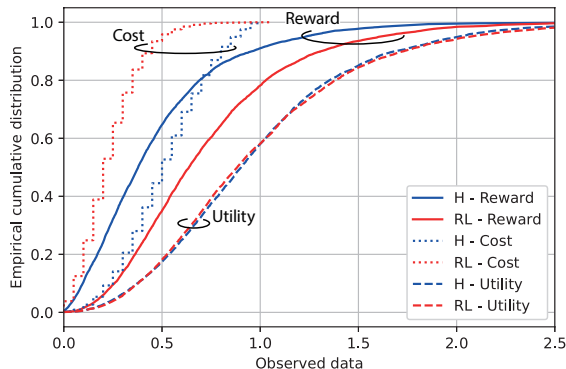
Penalty terms when bidding on already assigned RISs and when overshooting the budget



- Simple greedy bidding is a dominant strategy in terms of utility for each operator

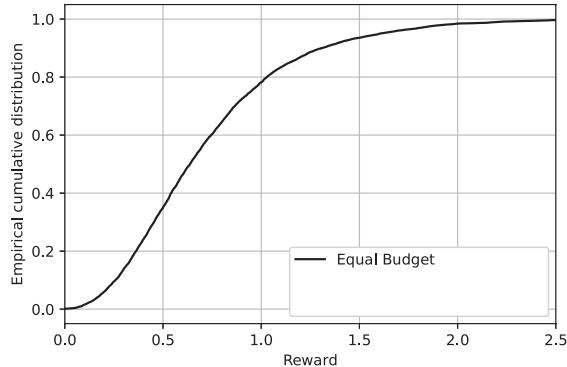


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- However, it is much more costly than DRL-based bidding

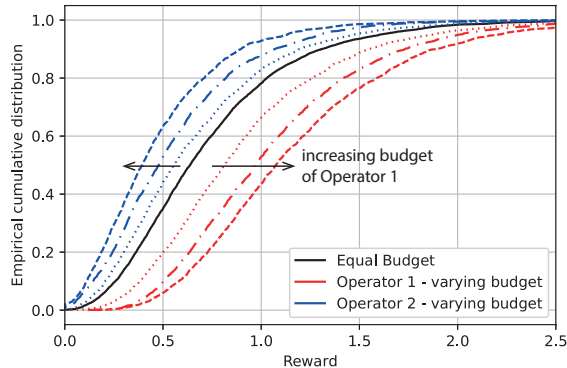


- Simple greedy bidding is a dominant strategy in terms of utility for each operator
- However, it is much more costly than DRL-based bidding
- Thus, DRL-based bidding achieves higher reward than greedy bidding

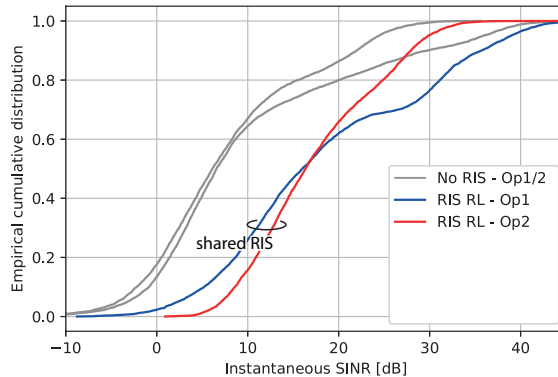




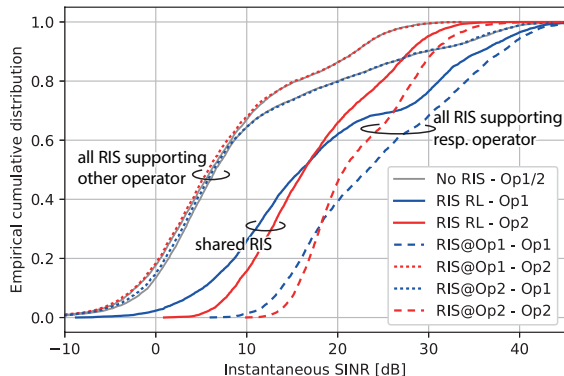
- With equal budgets both operators achieve the same performance for reasons of symmetry



- With equal budgets both operators achieve the same performance for reasons of symmetry
- If one operator is willing to spend more, it can secure more RISs and therefore boost its performance

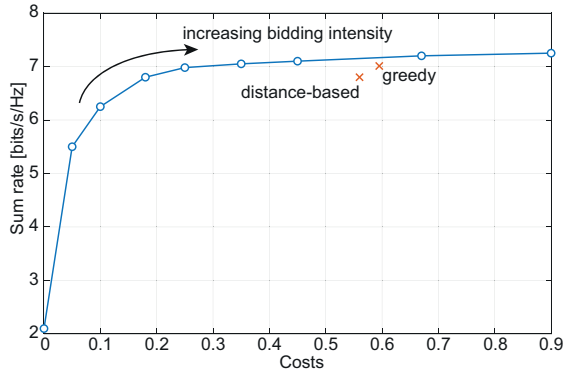


- Single snapshot of positions of network elements; distribution over users and microscopic fading



- Single snapshot of positions of network elements; distribution over users and microscopic fading
- Sharing RISs can significantly improve the performance of both operators
- If all RISs are assigned to one operator, the performance of the other remains virtually unaffected

## Varying the Bidding Intensity



- Bidding intensity  $c_V^{(o)}$ : how much operators are willing to spend

$$r^{(o)} = c_V^{(o)} V_t^{(o)}(w_t^{(o)}) - p_t |w_t^{(o)}|.$$

DRL-based Distributed Uplink Power Allocation

Auction-based RIS Access in Multi-Operator Environments

**Conclusions**

- Multi-agent RL enables efficient decentralized, model-free optimization
- Real-world deployment can be improved through model-based pre-training or training within a digital twin
- Approaches to coordinating multiple agents include:
  - CTDE or FPer in cooperative scenarios with common goals
  - Game-theoretic mechanisms such as auctions in competitive scenarios

# Multi-Agent Deep Reinforcement Learning for Mobile Wireless Systems: From Distributed Power Allocation to Auction-Based RIS Access

**Associate Prof. Stefan Schwarz**

in collaboration with: Charmae F. Mendoza, Martin Zan, Prof. Markus Rupp and Prof. Megumi Kaneko

December 2025, [stefan.schwarz@tuwien.ac.at](mailto:stefan.schwarz@tuwien.ac.at)



**Technische  
Universität Wien**

**Institute of  
Telecommunications**

